



Neutron-induced cross sections of actinides via the surrogate reaction method

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Outline

Motivation

I) Surrogate Experiment

- a) Principle
- b) Interest & Objective
- c) Early Work
- d) Interpretation

II) Oslo measurements

- a) Experimental set-up
- b) Investigated reactions
- c) Preliminary results
- d) Statistical models

Conclusion and outlook



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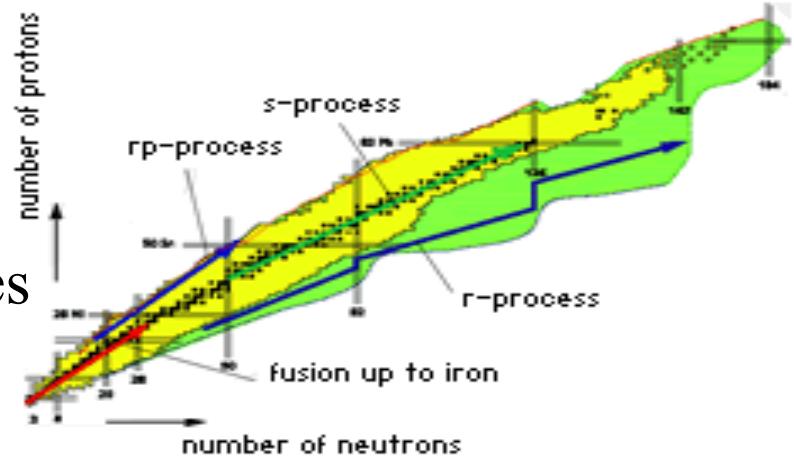
Conclusion and outlook



Motivation

Importance of neutron-induced cross sections of short lived nuclei:

- Fundamental nuclear physics
- Reactor physics
- Stellar nucleosynthesis via r or s processes
- ...



BUT these neutron-induced cross sections of short lived nuclei extremely difficult to obtain due to the radioactivity of the target involved.



Surrogate reaction

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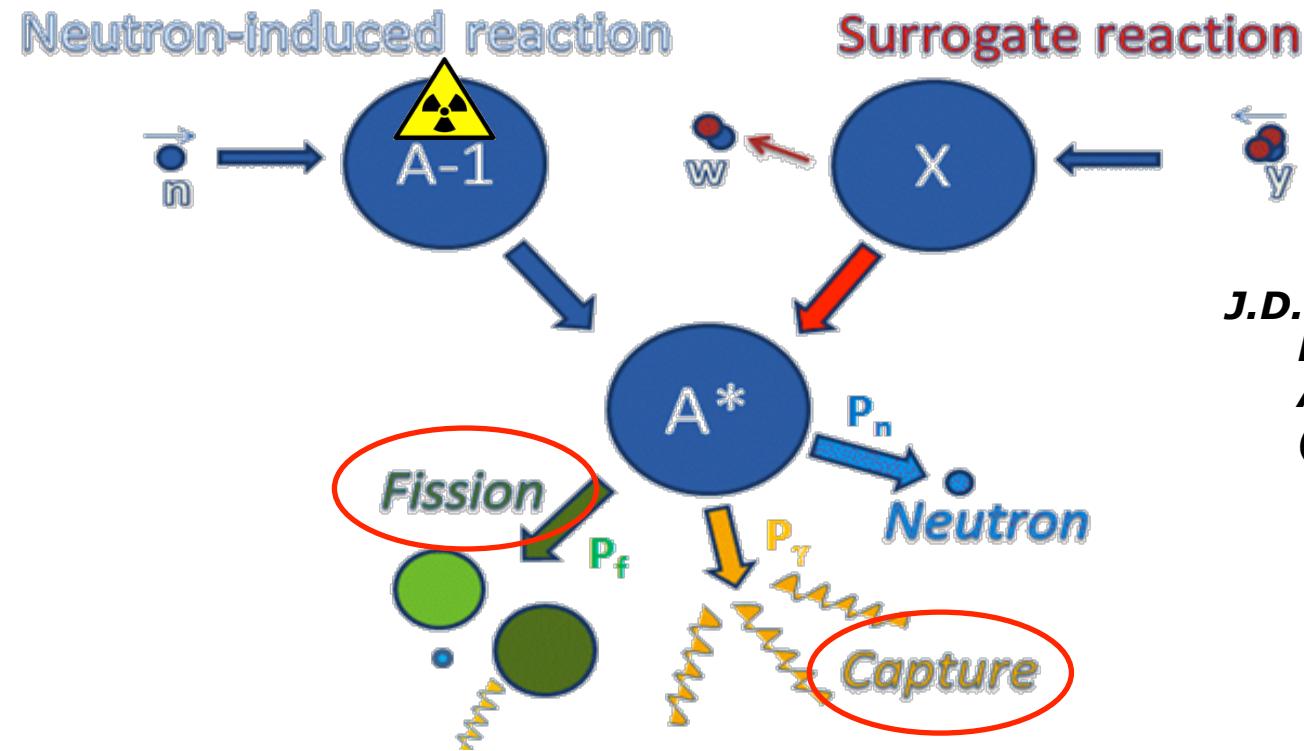
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Surrogate Experiment : principle



J.D. Cramer et H.C.
Britt, Nucl. Sci.
And Eng. 41
(1970) 177

$$\sigma_{decay}^{A-1}(En) \cong \sigma_{CN}^A(En) \cdot P_{decay}^{A,transfer}(E^*)$$

Calculated
(Optical model calculations)

Measured
(Surrogate experiment)

Surrogate Experiment : Interest & objective

Main interest :

- neutron-induced fission/capture cross sections extraction for nuclear reactions on short-lived (Am,Cm,Np..) nuclei in fast neutron region and to get information on nuclear structure models

Surrogate reaction only valid if :

- Compound nucleus formation
- Similar spin/parity or no dependence on J^π of P_{decay} (Weisskopf Ewing approximation)

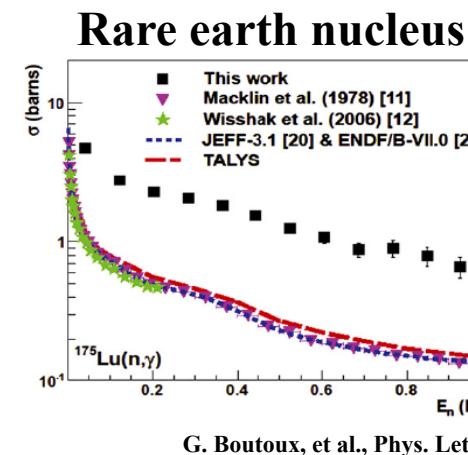
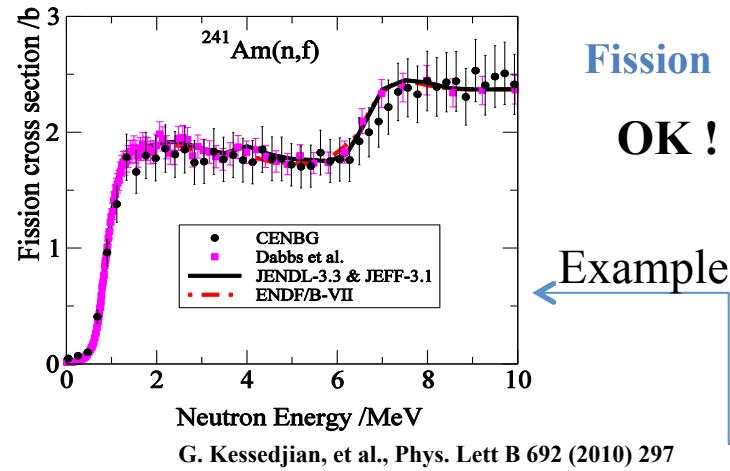
Objective :

- Validity of surrogate method in the actinides region by comparing surrogate data to known n-induced data.

Surrogate Experiment : Early work

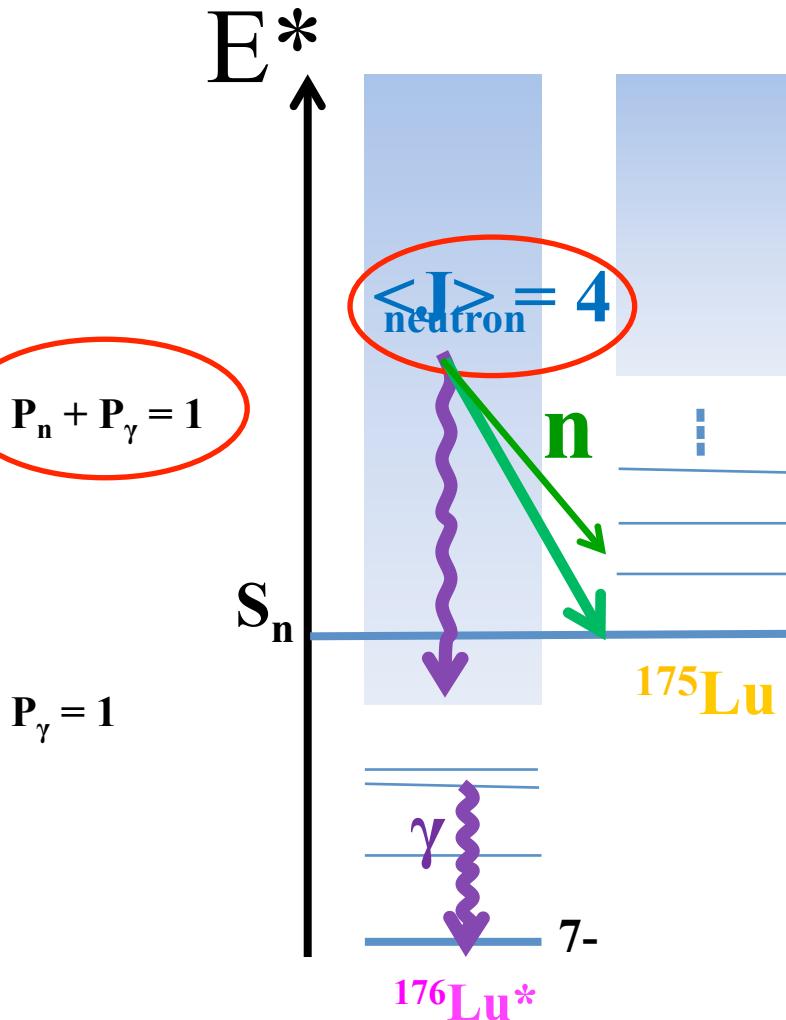
Jutta Escher, et al., Rev. Mod. Phys. 84 (2012) 353

Comparison surrogate/neutron induced reactions

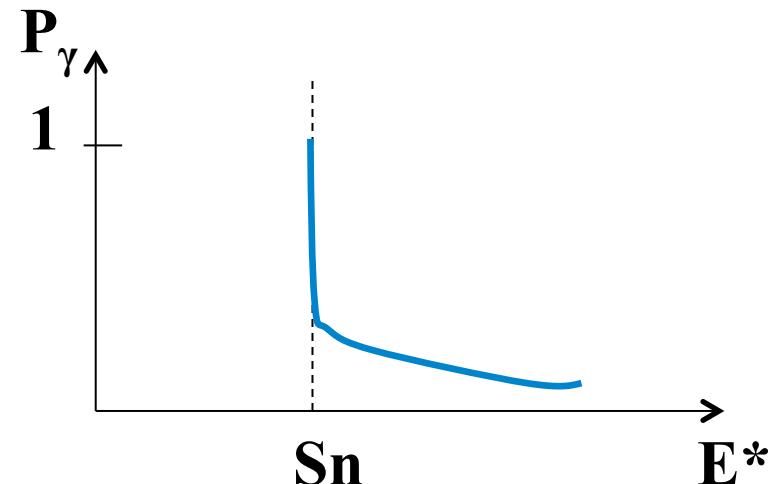


Desired reaction	E_n range (MeV)	Surrogate reaction	Type	Reference
$^{230}\text{Th}(n, f)$	0.5–10	(n, f) cross sections		
$^{230}\text{Th}(n, f)$	0.22–25	$^{232}\text{Th}({}^3\text{He}, \alpha)$	absolute	Petit et al. (2004)
$^{231}\text{Th}(n, f)$	0.36–25	$^{232}\text{Th}({}^3\text{He}, \alpha)$	ratio	Goldblum et al. (2009)
$^{231}\text{Pa}(n, f)$	0.5–10	$^{232}\text{Th}({}^3\text{He}, {}^3\text{He}')$	ratio	Goldblum et al. (2009)
$^{233}\text{Pa}(n, f)$	0.5–10	$^{232}\text{Th}({}^3\text{He}, t)$	absolute	Petit et al. (2004)
$^{233}\text{Pa}(n, f)$	11.5–16.5	$^{232}\text{Th}({}^6\text{Li}, \alpha)$	absolute	Petit et al. (2004)
$^{233}\text{U}(n, f)$	0.4–18	$^{234}\text{U}(\alpha, \alpha')$	ratio	Nayak et al. (2008)
$^{236}\text{U}(n, f)$	0–20	$^{238}\text{U}({}^3\text{He}, \alpha)$	absolute, ratio	Lesher et al. (2009)
$^{237}\text{U}(n, f)$	0–13	$^{238}\text{U}(d, d')$	ratio	Lyles et al. (2007a)
$^{237}\text{U}(n, f)$	0–20	$^{238}\text{U}(\alpha, \alpha')$	ratio	Plettner et al. (2005)
$^{239}\text{U}(n, f)$	0–20	$^{238}\text{U}({}^{18}\text{O}, {}^{16}\text{O})$	ratio	Burke et al. (2006)
$^{237}\text{Np}(n, f)$	10–20	$^{238}\text{U}({}^3\text{He}, t)$	absolute, ratio	Burke et al. (2011)
$^{238}\text{Pu}(n, f)$	0–20	$^{239}\text{Pu}(\alpha, \alpha')$	ratio	Basunia et al. (2009)
$^{241}\text{Am}(n, f)$	0–10	$^{243}\text{Am}({}^3\text{He}, \alpha)$	absolute	Ressler et al. (2011)
$^{242}\text{Cm}(n, f)$	0–10	$^{243}\text{Am}({}^3\text{He}, t)$	absolute	Kessedjian et al. (2010)
$^{243}\text{Cm}(n, f)$	0–3	$^{243}\text{Am}({}^3\text{He}, d)$	absolute	Kessedjian et al. (2010)
$^{155}\text{Gd}(n, \gamma)$	0.05–3.0	(n, γ) cross sections		
$^{157}\text{Gd}(n, \gamma)$	0.05–3.0	$^{156}\text{Gd}(p, p')$	absolute, ratio	Scielzo et al. (2010)
$^{161}\text{Dy}(n, \gamma)$	0.13–0.56	$^{158}\text{Gd}(p, p')$	absolute, ratio	Scielzo et al. (2010)
$^{170}\text{Yb}(n, \gamma)$	0.165–0.405	$^{162}\text{Dy}({}^3\text{He}, {}^3\text{He}')$	ratio	Goldblum et al. (2010)
$^{170}\text{Yb}(n, \gamma)$	0.225–0.465	$^{171}\text{Yb}({}^3\text{He}, {}^3\text{He}')$	ratio	Goldblum et al. (2008)
$^{171}\text{Yb}(n, \gamma)$	0.12–0.24	$^{172}\text{Yb}({}^3\text{He}, \alpha)$	ratio	Goldblum et al. (2008)
$^{233}\text{Pa}(n, \gamma)$	0–1	$^{171}\text{Yb}(d, p)$	ratio	Hatarik et al. (2010)
$^{235}\text{U}(n, \gamma)$	0.9–3.3	$^{232}\text{Th}({}^3\text{He}, p)$	absolute	Boyer et al. (2006)
$^{237}\text{U}(n, \gamma)$	0.2–1.0	$^{235}\text{U}(d, p)$	ratio	Allmond et al. (2009)
$^{232}\text{Th}(n, \gamma)$	0–1.2	$^{238}\text{U}(\alpha, \alpha')$	absolute, ratio	Bernstein et al. (2006);
$^{175}\text{Lu}(n, \gamma)$	0–1	$^{232}\text{Th}(d, p)$	absolute	J. Wilson et al. (2012)
$^{172}\text{Yb}(n, \gamma)$	0–1	$^{174}\text{Yb}({}^3\text{He}, p)$	absolute	G. Boutoux et al. (2012)
$^{175}\text{Lu}(n, \gamma)$	0–1	$^{174}\text{Yb}({}^3\text{He}, \alpha)$	absolute	G. Boutoux et al. (2012)

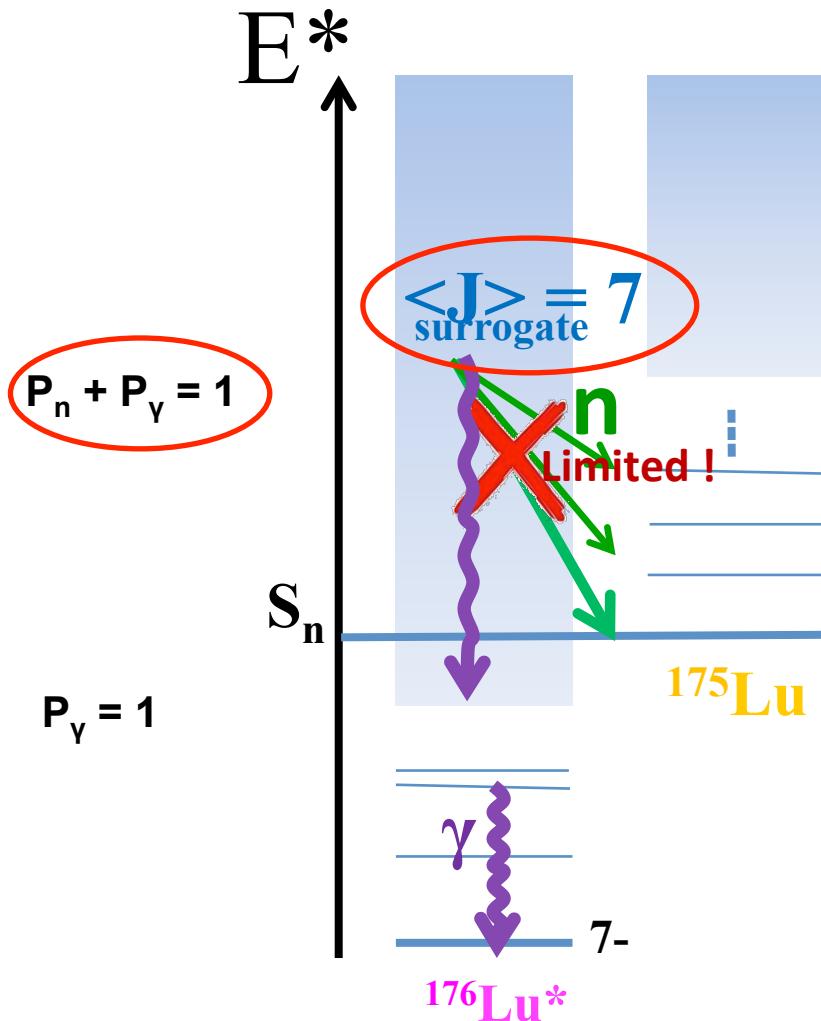
Surrogate Experiment : Interpretation 1/2



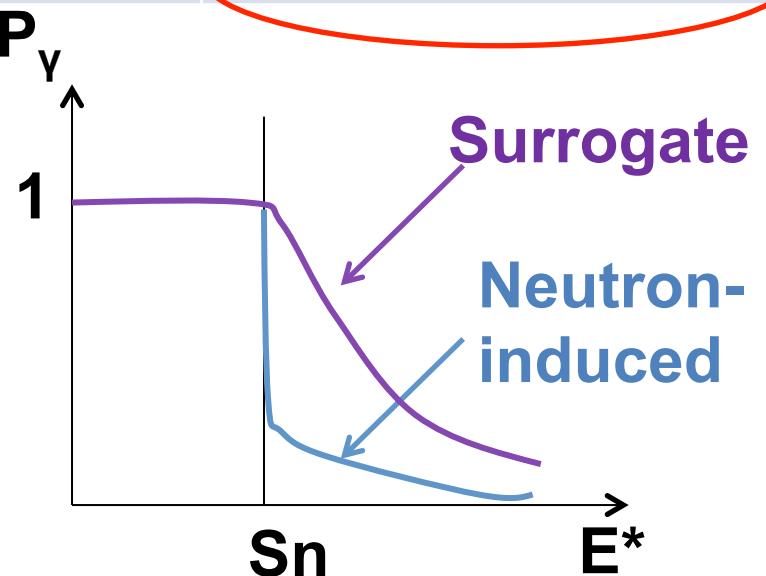
Neutron-induced reaction	Corresponding surrogate reaction
$^{175}\text{Lu} + n$	$^{174}\text{Yb} + {}^3\text{He} \rightarrow {}^{176}\text{Lu}^* + p$



Surrogate Experiment : Interpretation 2/2

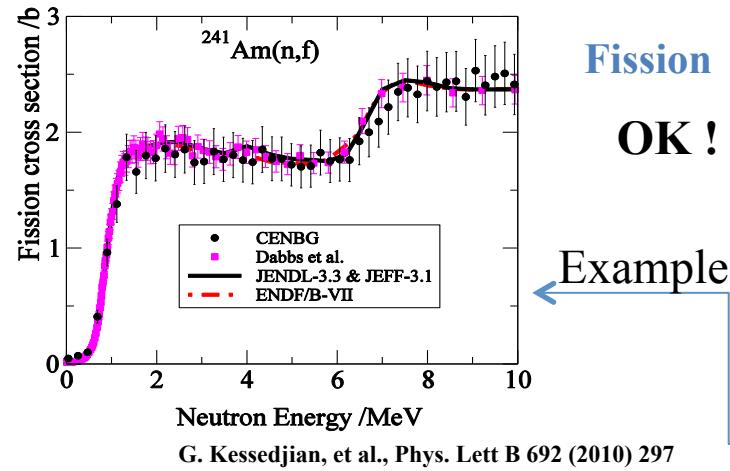


Neutron-induced reaction	Corresponding surrogate reaction
$^{175}\text{Lu} + n$	$^{174}\text{Yb} + {}^3\text{He} \rightarrow {}^{176}\text{Lu}^* + p$



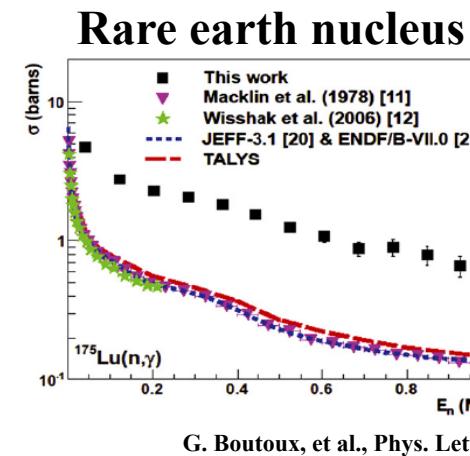
Surrogate Experiment : Early work

Comparison surrogate/neutron induced reactions



Fission
OK !

Example



Capture
NOT OK !

Example

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Aim : Check if both fission AND gamma decay probabilities agree with neutron data by measuring both simultaneously in the actinides region

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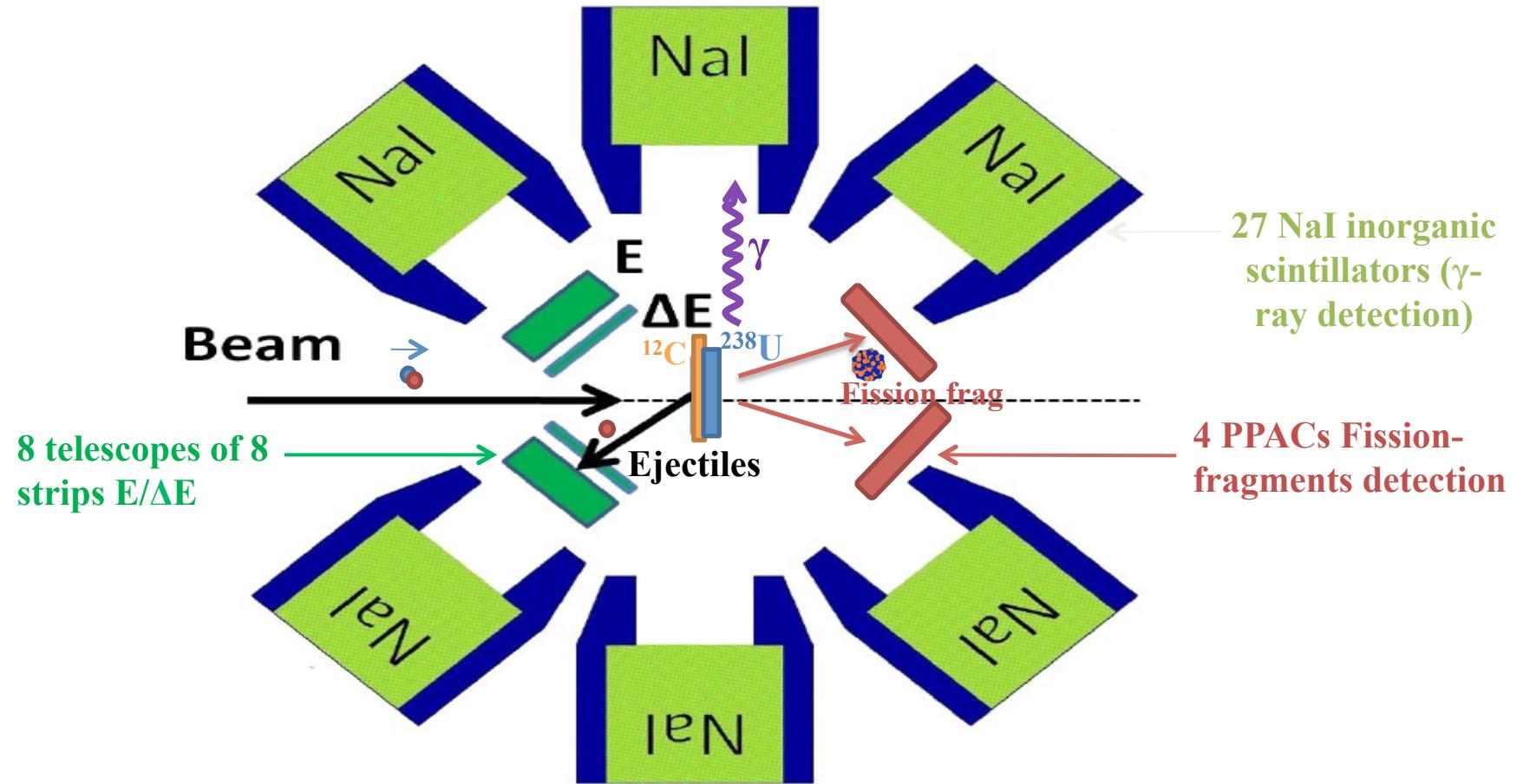
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Oslo measurements: Experimental set-up



- ❖ High detection efficiency
 - ❖ Measurement of Fission & gamma-decay probabilities

Oslo measurements: Investigated reactions

4 reactions are studied

Neutron- induced reaction	Corresponding surrogate reaction	Quantity measured
$^{238}\text{U} + \text{n}$	$^{238}\text{U} + \text{d} \rightarrow ^{239}\text{U}^* + \text{p}$	$P_f + P_\gamma$
$^{236}\text{U} + \text{n}$	$^{238}\text{U} + {}^3\text{He} \rightarrow ^{237}\text{U}^* + {}^4\text{He}$	$P_f + P_\gamma$
$^{237}\text{Np} + \text{n}$	$^{238}\text{U} + {}^3\text{He} \rightarrow ^{238}\text{Np}^* + \text{t}$	$P_f + P_\gamma$
$^{238}\text{Np} + \text{n}$	$^{238}\text{U} + {}^3\text{He} \rightarrow ^{239}\text{Np}^* + \text{d}$	$P_f + P_\gamma$

Nal scintillators

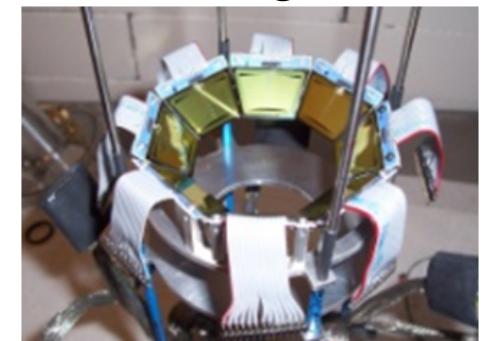


Fission detector



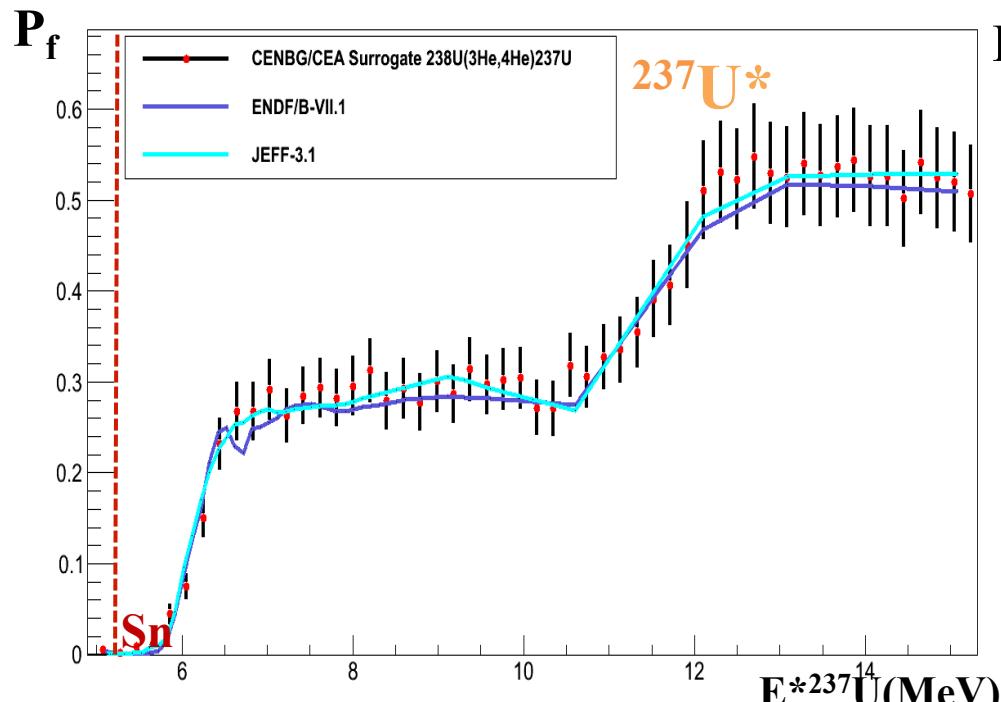
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Silicon Ring detector

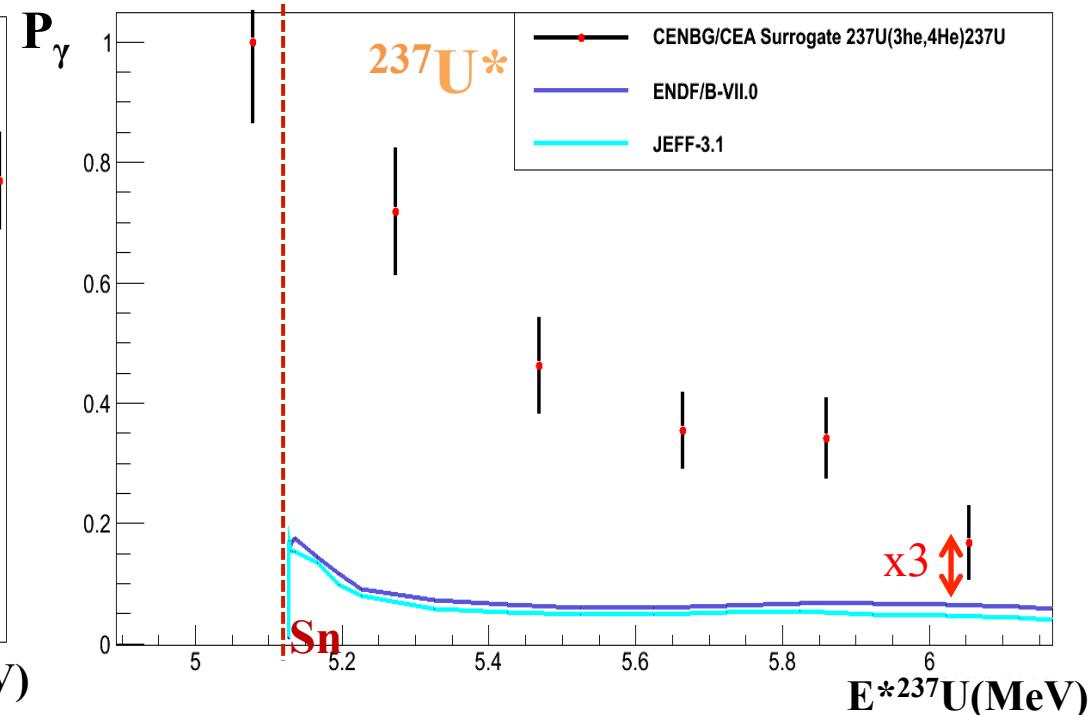


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Oslo measurements: Preliminary results 1/2



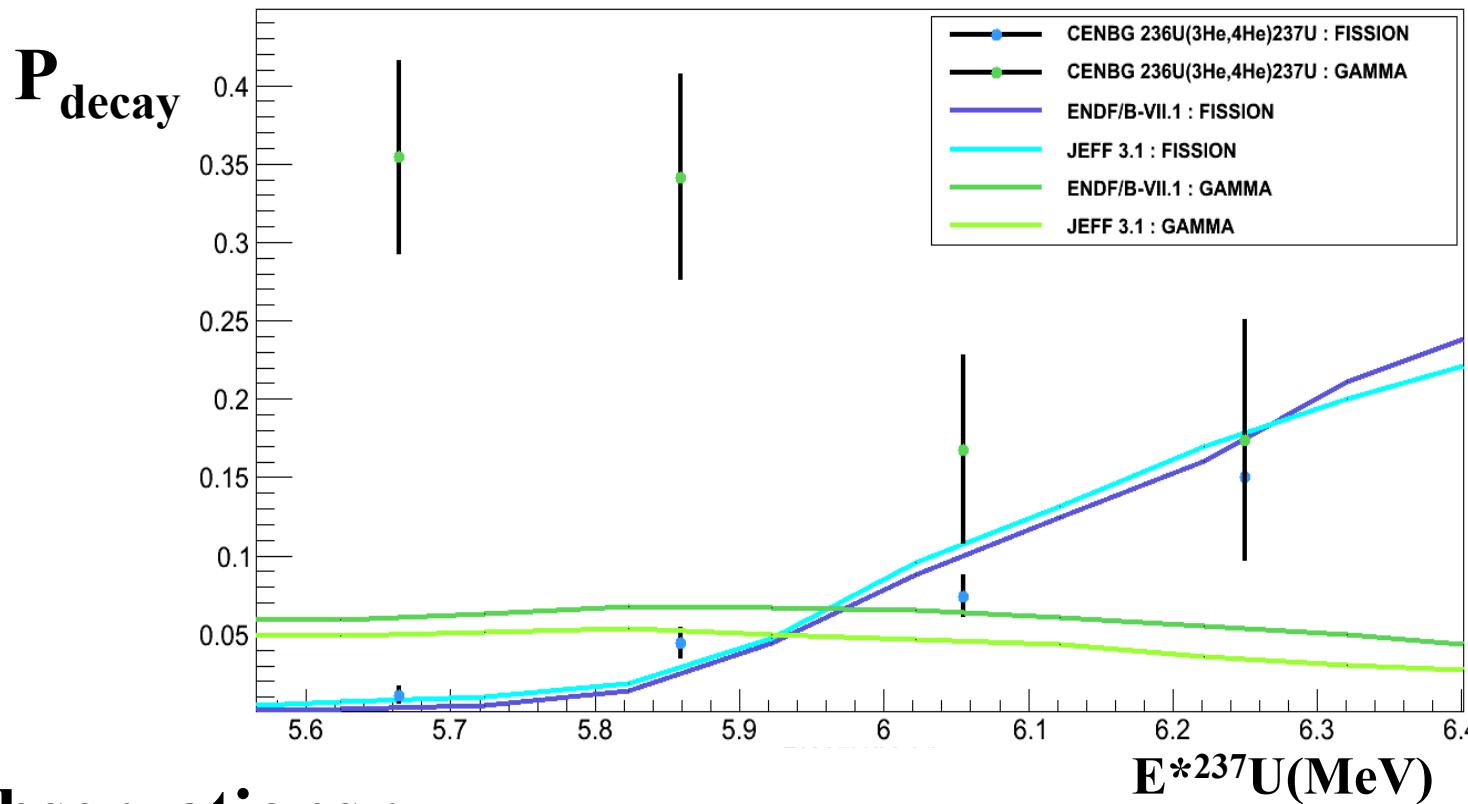
P_f : Good agreement surrogate/
neutron-induced data



P_γ : Big discrepancies between
surrogate/neutron-induced data

Fission/Gamma probabilities comparison between
Surrogate/neutron-induced reactions

Oslo measurements: Preliminary results 2/2



Observations :

- P_Y is much more sensitive to the spin differences than fission
- We observe the same trend for the other nuclei
- Can we explain these results with statistical model calculations ?

Oslo measurements: Statistical models 1/3

Statistical model (Hauser-Feshbach) approach :

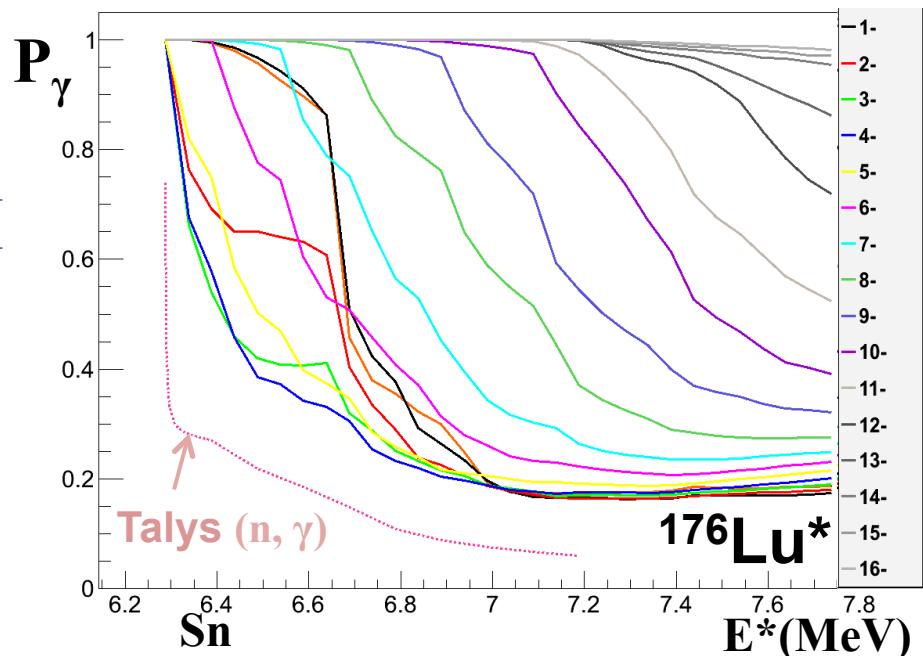
FIFRELIN Code : Fission Fragment Evaporation Leading to an Investigation of Nuclear data
(developed in CEA Cadarache)

Aim : Use of statistical model to see if it reproduces/can explain the different sensibilities to the spin parities distribution for the gamma/fission decay

1/3) Selection of the model that reproduce P_γ from (n, γ) reactions

Level density model : CTM

- Can NOT reproduce P_γ from (n, γ) reactions



Oslo measurements: Statistical models 2/3

Statistical model (Hauser-Feshbach) approach :

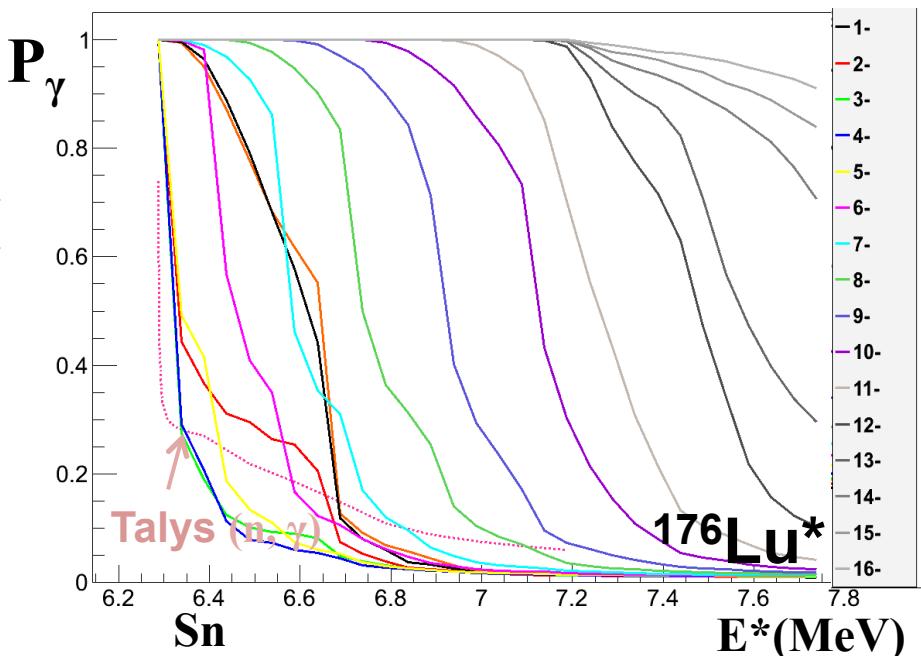
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1/3) Selection of the model that reproduce P_γ from (n, γ) reactions

Level density model : CGCM

- CAN reproduce P_γ from (n, γ) reactions

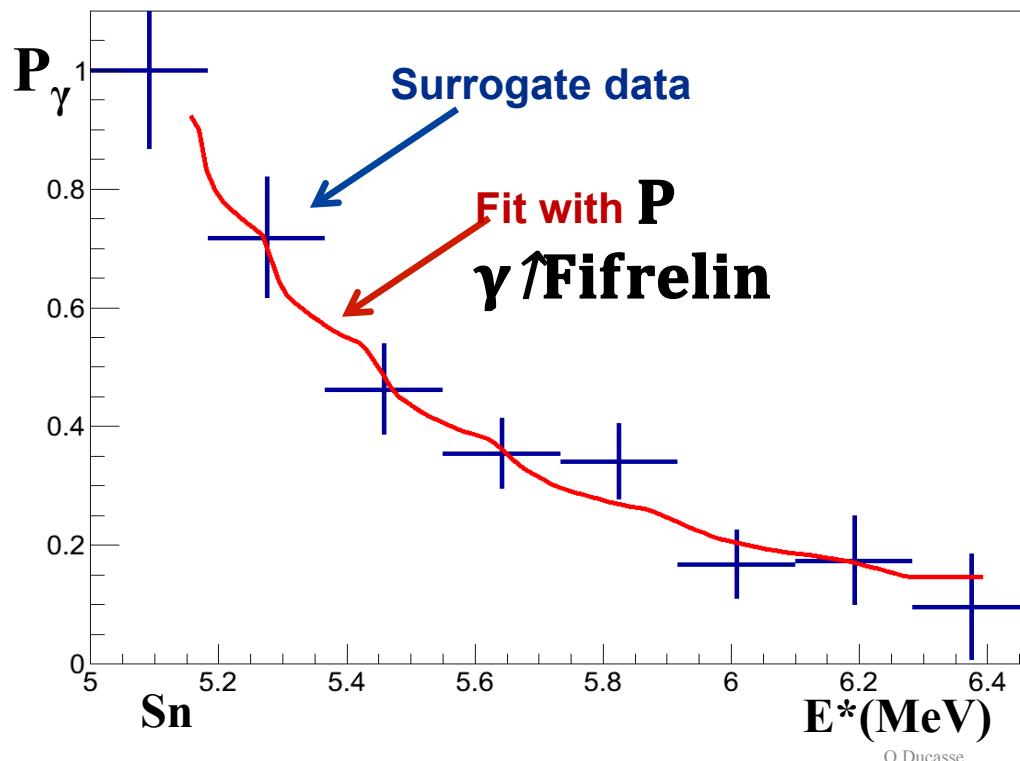


Oslo measurements: Statistical models 3/3

2/3) Use the sensibility to spin of P_γ to extract information on the populated spin distribution of the transfer reaction

- Fit of the surrogate data for ^{237}U ($^{236}\text{U} + \text{n}$) assuming a gaussian distribution

$$P_{\gamma \uparrow \text{Surrogate}}(E^*) \approx \sum J \pi [1/2\sigma\sqrt{2\pi} e^{-(J-J)^2/2\sigma^2}] \times P_{\gamma \uparrow \text{Fifrelin}}(E^*, J, \pi)$$



Models used
Strength function : EGLO
Level Density : CGCM

$\langle J, \text{surrogate} \rangle = 4,1$

TO DO:

3/3) Implement the populated spin distribution in the code to extract the calculated fission probability to compare it with the experimental one.

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Conclusion

- The surrogate method is the only way to obtain information of **very radioactive nuclei** ($T_{1/2} <$ few days) such as :
 - Fission : **Cross section** measurements (reliable to neutron data)
 - Gamma emission : **Constrain** parameters of the level density and the strength function
- Fission **much less sensitive** to the spin distribution than gamma emission
 - Need help of **statistical model** to conclude
- Theoretical challenge: **Spin distribution** of the compound nucleus determination in a surrogate experiment

Experimental outlook

- April 2015 : Expected surrogate experiment at IPN Orsay
 - Beam time : 2 weeks
 - Same target : ^{238}U , same beam (^3He)
 - Complementary measurements : fission fragments anisotropy and increase counting rate
- More accuracy for the surrogate probabilities determination

THANK YOU FOR YOUR ATTENTION

1) Analyse de la voie $^{238}\text{U}(\text{d},\text{p})^{239}\text{U}$  $\text{n} + ^{238}\text{U}$

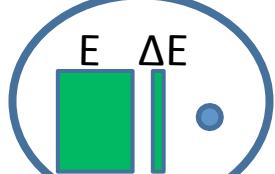
P_f et P_v du ²³⁷Np

Equation conservation en énergie

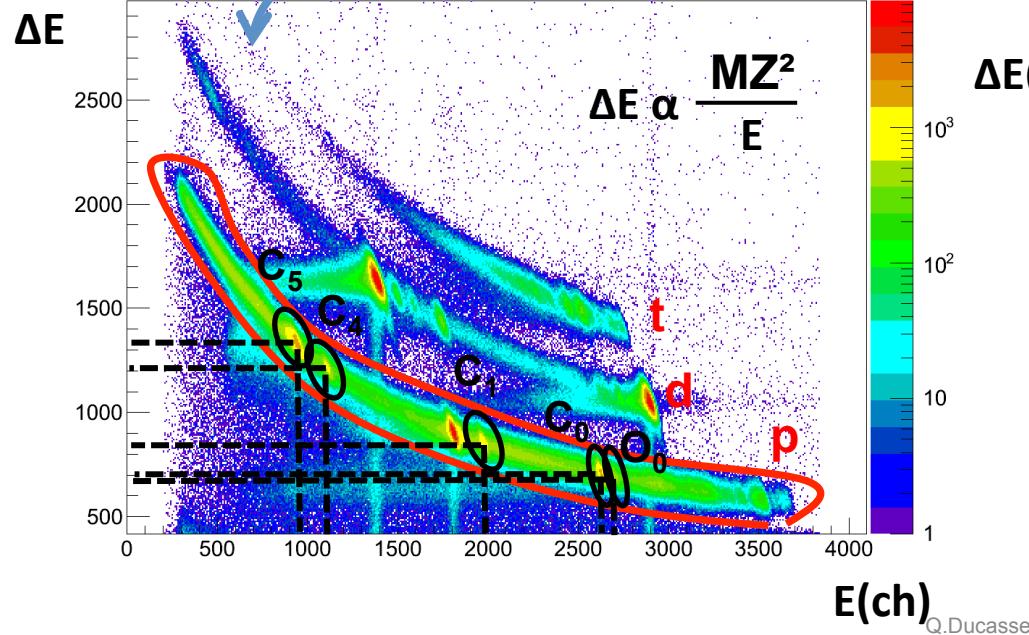
$$E^*(CN) = E_{pro} + Q_{reaction} - E_{ejectile} - E_{recul}(CN) - E_{recul}$$

Connues Se calcule

Calibration



A) Identification du noyau composé formé



$E^*(CN)$ = Energie d'excitation du CN formé

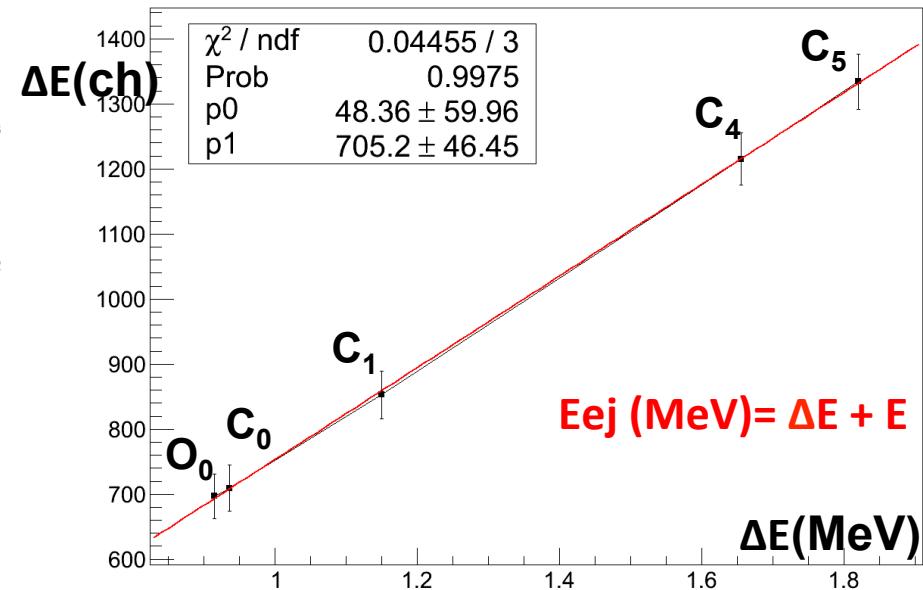
E_{pro} = Energie du faisceau (15 MeV)

$$Q_{reaction} = \Delta mc^2 = 2.582 \text{ MeV}$$

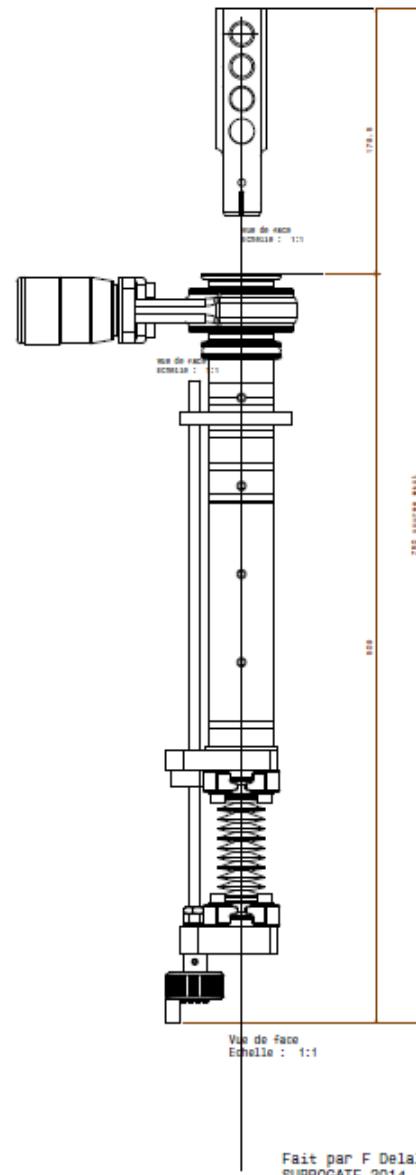
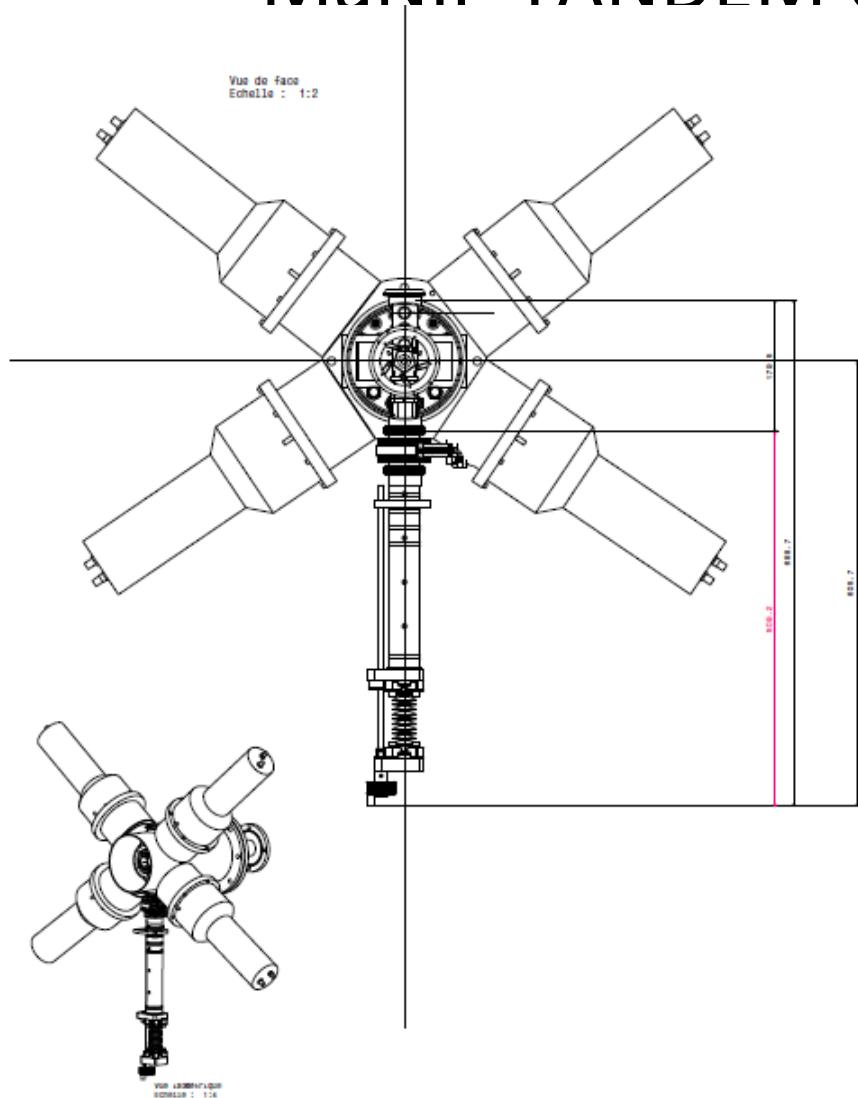
$$E_{\text{injectile}} = \Delta E + E$$

E_{recul} (CN) = Energie de recul du CN

B) Calibration en énergie de la réaction



MaNIP TANDEM ORSAY (avril 2015)



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Fait par F Delalee le 16/01/2014
SURROGATE 2014